**Fiji Tours**

After successfully competing at ICPC Hungary 2023, you finally decided to go on a vacation to Fiji Island. There are \(N\) locations of interest in Fiji that you are planning to visit over your stay. Locations are numbered from 0 to \(N - 1\). The locations are connected by \(N - 1\) bidirectional roads. It is possible to get from every location to any other location by walking the roads.

You want to utilize your time well by visiting a set of locations right on the day of your arrival. You will arrive at location \(X\) and by the end of the day you have to get to your hotel at location \(Y\). You want to take a tour starting at location \(X\) and ending at location \(Y\), traveling along the roads and visiting some locations. It is allowed to traverse the same road multiple times, and visit the same location multiple times (including visiting locations \(X\) and \(Y\) multiple times).

You are wondering: how many different tours can you plan for this day? You don’t mind visiting the same location many times, so two tours are considered different if the two sets of visited locations are different.

**Input**

The first line of the input contains three integers \(N\) (1 \(\leq\) \(N\) \(\leq\) 200 000), \(X\) and \(Y\) (0 \(\leq\) \(X\), \(Y\) \(\leq\) \(N\)).

The following \(N - 1\) lines describe the roads. Each row contains two integers \(U\) and \(V\) (0 \(\leq\) \(U\), \(V\) \(\leq\) \(N\), \(U \neq V\)), indicating that there is a road between locations \(U\) and \(V\).

**Output**

Print a single line containing the number of different tours. Since the answer can be large, output it modulo \(10^9 + 7\).

**Examples**

<table>
<thead>
<tr>
<th>input</th>
<th>output</th>
</tr>
</thead>
</table>
| 7 1 4  
1 6   
4 6   
1 0   
4 2   
1 5   
3 4   | 16     |

**Explanation**

Every tour from 1 to 4 contains locations 1, 6 and 4. It is optional to visit some of locations 0, 5, 3 or 2, independently of each other. Therefore, the number of different tours is \(2^4 = 16\).

Note that tours like 1 \(\rightarrow\) 6 \(\rightarrow\) 4 and 1 \(\rightarrow\) 6 \(\rightarrow\) 1 \(\rightarrow\) 6 \(\rightarrow\) 4 are not considered different, as they visit the same set of locations \(\{1, 4, 6\}\).